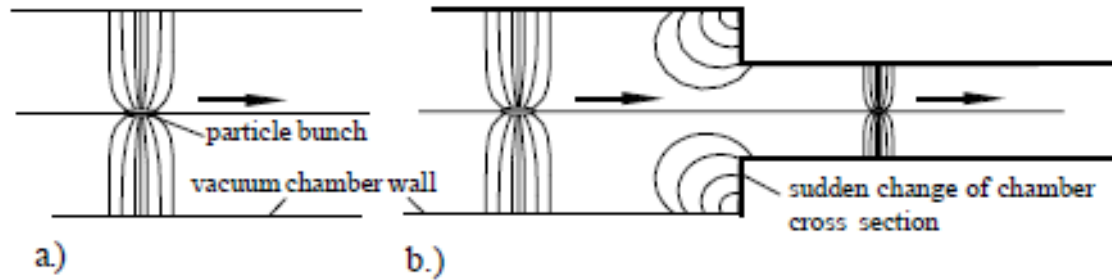
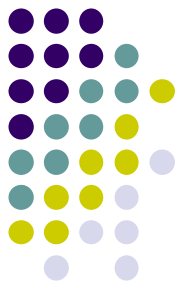


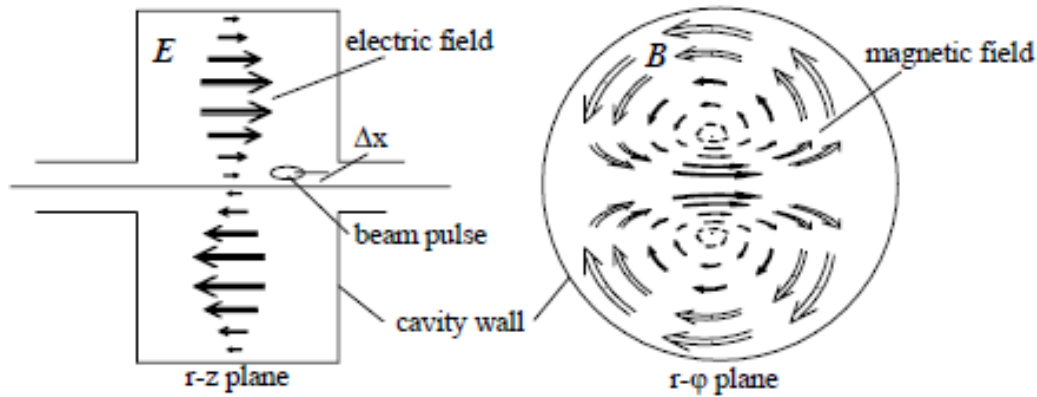


# Long Range Wakefield Calculation

A.Vardanyan V.Petrosyan



Coupling of a charged particle beam to the environment; uniform chamber cross section (a) and obstacle on vacuum chamber surface (b)



Transverse parasitic mode in a pill box cavity

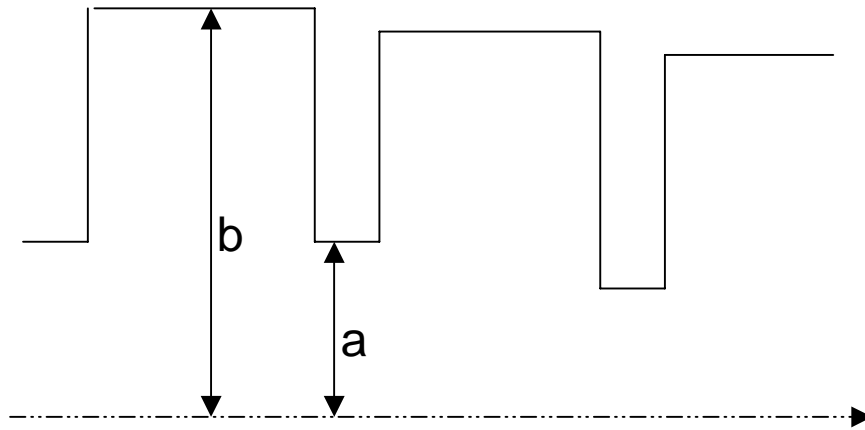


Fig. 1. The cell geometry

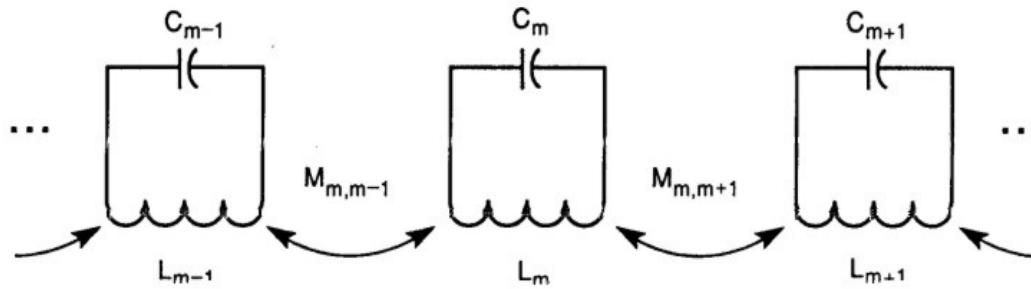
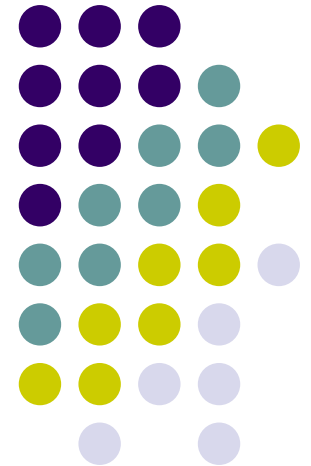
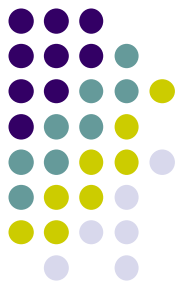


Fig. 2. A single chain circuit model of the accelerator structure.





$$\left(1 - \frac{\nu_n^2}{\nu^2}\right) I_m + \frac{M_{m,m+1}}{2L_m} I_{m+1} + \frac{M_{m,m-1}}{2L_m} I_{m-1} = 0 \quad m = 1, 2, \dots, N$$

$\nu_n$  - resonant frequencies of the n-th circuit loop

$\nu$  - resonant frequencies of the chain

$M_{m,m+1}$  - coupling coefficient between subsequent loops

$$(2\pi\nu_m)^2 = \frac{1}{L_m C_m}$$

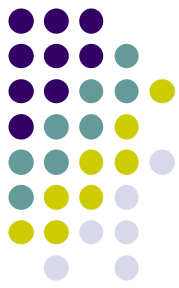
Dipole wakefield of the structure is given by

$$W(s) = 2 \sum_{n=1}^{\infty} K_n \sin \frac{2\pi\nu_n s}{c} e^{-\pi\nu_n s / (cQ_n)} \quad s > 0$$

$K_n$  -kick factor

$\nu_n$  -frequency of the n-th dipole mode of the structure

$Q_n$  -quality factor of the n-th dipole mode of the structure



## Future Steps

- Comparison of different numerical codes (Echo, CST ets)
- Comparison of analytical results and numerical calculations
- Performing numerical calculations for various structures